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Corrigendum to "Nontrivial solutions for fractional q-difference boundary value problems" [*Electron. J. Qual. Theory Differ. Equ.* 2010, No. 70, 1–10]

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Abstract. We correct a typo that was observed now in [*Electron. J. Qual. Theory Differ. Equ.* **2010**, No. 70, 1–10].

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1 Corrigendum

In [1], page 8, a constant N was defined and used to prove [1, Theorem 3.6]. Unfortunately, there is a typo in this definition. Indeed, let*

$$N = \left(\int_{\tau_1}^{\tau_2} G(r, qt) d_q t\right)^{-1}, \quad \text{with } r \in (0, 1). \tag{1.1}$$

Then, we know from [1, Lemma 3.4] that $N > 0$. Moreover, line 4 of page 9 should read:

$$\|Ty\| = \max_{0 \le x \le 1} \int_0^1 G(t, qt) f(t, y(t)) d_q t \ge N r_1 \int_{\tau_1}^{\tau_2} G(r, qt) d_q t = \|y\|.$$

In conclusion, the main result in [1], namely Theorem 3.6, holds with N given by (1.1).

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*In [1] N was written as $N = \left(\int_{\tau_1}^{\tau_2} G(qt, qt) d_q t\right)^{-1}$.

References

[1] R. A. C. Ferreira, Nontrivial solutions for fractional q-difference boundary value problems, *Electron. J. Qual. Theory Differ. Equ.* **2010**, No. 70, 1–10. https://doi.org/10.14232/ejqtde.2010.1.70; MR2740675